

1. $\frac{3}{3+19}$
2. Mode= 4 and 24
Median= 7
sample standard deviation= 7.843078
Mean=11.42
population standard deviation= 7.76428
population variance =60.28351
3. this is a conditional probability question.
we know the results of three questions (2 correct and one incorrect)
 $n = 12 - 3 = 9$ so only 9 questions that are unknown.
 $p = 0.25$
 $r(\text{number of successes}) = 6 - 2 = 4$
probability: $\text{bpdf}(9, 0.25, 4) = .116798$
4. Think about the distribution on a number line. remember slow times are bigger numbers so they are on the right side of the number line.

0.15	0.2	0.30	0.35
super fast	very fast	fast	slow

the slowest time and still be in the very fast group is the break between very fast and fast.
 $\text{invnorm}(0.15 + 0.2, 19, 3.5) = 17.65$ minutes.
5. (a) $\sqrt{npq} = \sqrt{42 * 0.4 * 0.6}$
(b) 20 failures is the same as 22 successes.
 $\text{bpdf}(42, 0.4, 22) = 0.3305$
or
 $\text{bpdf}(42, 0.6, 20) = 0.3305$
(c) $\text{bcdf}(42, 0.4, 24) - \text{bcdf}(42, 0.4, 12) = .90581$
6. solve $25 + 2.5k = 28.5$ and get $k = 1.4$.
 $\text{prob} \geq 1 - \frac{1}{(1.4)^2} = 0.489795$
7. (a) $300 * \text{ncdf}(43, 1E99, 40, 5) = 300 * .27425 = 82.27859$
(b) 0, since the random variable is continuous.
(c) $p = \text{ncdf}(37, 47, 40, 5) = 0.645$
 $\text{bcdf}(50, 0.645, 34) = 0.74415$
8. Let A be the amount of the grand prize.

X	0 - 5 = -5	A - 5	4 - 5 = -1
prob.	$\frac{2}{12} * \frac{2}{12} = \frac{1}{36}$	$\frac{10}{12} * \frac{10}{12} = \frac{25}{36}$	$1 - \frac{1}{36} - \frac{25}{36} = \frac{10}{36}$

Now solve for $E(X) = -2$ and you get $A = 68$ dollars.
9. $N=52, I= 14, PV= \text{solve}, \text{Pmt}=0, Fv= 400, P/y =C/y= 52$
Answer: \$347.81

10. $N=12, I=5, PV=-6000, Pmt=400, Fv=\text{solve}, P/y=C/y=4$
 Answer: 1820.38
11. step 1 find the payment.
 $N=40, I=7.4, PV=38500, Pmt=\text{solve}, Fv=0, P/y=C/y=4$
 payment = 1370.64
 Interest owed = $3850 * \frac{0.74}{4} = 712.25$ done like the amortization charts.
 Answer: $1370.64 - 712.25 = 658.39$
12. balance at end of 3rd year ($n=12$) - balance at start of third year($n=8$) - any payments made in third year.
 Ballance($n=12$): 3803.86
 Ballance($n=8$): 2813.06
 payments made(in yr 3): $4*200 = 800$
 Answer: $3803.86 - 2813.06 - 800 = 190.80$
13. interest owed is $1400 - 1000 = 400$.
 $I = Prt$ gives $400 = 1000r * 7$
 solving for r gives $r = 0.05714$
 Answer: 5.714%
14. First figure out the present value of each loan(what you owe.)
 Loan 1: $N=24, I=7, PV=\text{solve}, Pmt=-300, Fv=0, P/y=C/y=4$: still owe: 5838.21
 Loan 2: $N=144, I=3, PV=\text{solve}, Pmt=-400, Fv=0, P/y=C/y=12$: still owe: 48321.63
 New loan: $N=8*12, I=5, PV=54159.84, Pmt=\text{solve}, Fv=0, P/y=C/y=12$
 Answer: 685.66
15. first figure out how much needs to be in the account when Gabriel retires.
 $N=15*12, I=5, PV=\text{solve}, Pmt=4000, Fv=0, P/y=C/y=12$: needs 505820.97
 now figure out the payments needed to save up for this amount.
 $N=40*12, I=5, PV=0, Pmt=\text{solve}, Fv=505820.97, P/y=C/y=12$
 Answer: 331.46
16. (a) $N=12*30, I=4, PV=150000, Pmt=\text{solve}, Fv=0, P/y=C/y=12$
 Answer:716.12
- (b) $N=5*12, I=4, PV=150000, Pmt=-716.12, Fv=\text{solve}, P/y=C/y=12$
 after 5 years he still owes 135671.46
 new value is $200000+1200*5 = 206,000$
 Answer: $206,000 - 135,674.46 = 70,328.54$
- (c) $N=10*12, I=4, PV=150000, Pmt=-716.12, Fv=\text{solve}, P/y=C/y=12$
 after 10 years he still owes 118176.37
 new loan is for $118,176.37 + 7000 = 125,176.37$
 $N=18*12, I=3, PV=125176.37, Pmt=\text{solve}, Fv=0, P/y=C/y=12$
 new loan payment is 750.71

Check the back of the page for more problems.

paid on new loan: $750.71 \cdot 12 \cdot 18 = 162153.36$

paid on remaining old loan: $716.12 \cdot 12 \cdot 20 = 171868.80$

will save $171868.80 - 162153.36 = 9715.44$

so yes he should refinance.