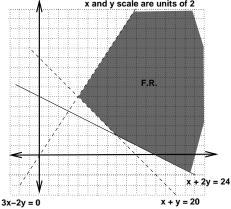
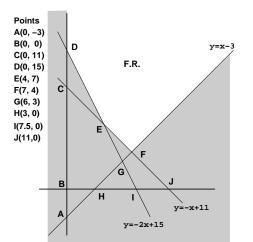
## Week in Review #4

## Section 3.1: Graphing Systems of Linear Inequalities in Two Variables. Section 3.3: Graphical solution of Linear Programing Problem.

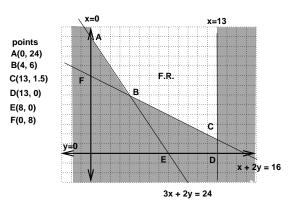
- Method of corners
  - graph the feasible region
  - find corner points
  - evaluate the objective function at each corner point
  - solution can be at one point or infinitely many points if two adjacent corner points maximize or minimize the objective function.
- 1. Write the system of inequalities that will give the shaded feasible region.



- 2. Find the maximum of F = 4x + 2y and the location of its maximum subject to:
  - $5x + 2y \ge 20$  $x + 2y \ge 8$  $x + 4y \le 32$  $x \ge 0, y \ge 0$
- 3. Use the Feasible region to find where is the objective function g = 2x + y minimized and the minimum value of g?



- 4. Use the Feasible region to find the indicated results for these objective functions.
  - (a) maximum value of h = 10x 3y and the location(s) of the maximum value.
  - (b) maximum value of j = 3x + 4y and the location(s) of the maximum value.



## Section 6.1: Set and Set Operations.

- a set is a well defined collection of objects
  - x is an element of set A,  $x \in A$ , if x is an object in A.
- roster notation:  $A = \{1, 2, 3\}$
- set builder notation:  $B = \{x \mid x \text{ is a positive integer }\}$
- set A and B are equal if they have exactly the same elements.
- Subset,  $A \subseteq B$ 
  - A is a subset of B if every element in A is also an element of B
  - A is a proper subset,  $A \subset B$ , if A is a subset of B but is not equal to B.
- Empty set,  $\phi = \{\}$ , is a set that contains no elements
- Universal set, U, is the set that contains all of the elements possible in a problem.
- Set operations
  - Union,  $A \cup B$
  - Intersection,  $A \cap B$
  - Compliment,  $A^C$
- n(A) denotes the number of things in set A,  $n(\phi) = 0$
- Set A and B are **disjoint** provided that  $A \cap B = \phi$
- 5. Write the set  $\{x \mid x \text{ is a letter in the word ENCYCLOPEDIA}\}$  in roster notation.
- 6. U={ 0, 1, 2, 3, 4, 5, 6, 7, 8, 9}, A = { 0, 3, 6, 9}, B={ 0, 2, 4, 6, 8}, and C={ 1, 3, 5, 7, 9} Find the following.
  - (a) n(A) =
  - (b)  $n(A \cup B) =$  (f) How many subsets does B have?
  - (c)  $A \cup C^C =$  (g) How many proper subsets does B have?
  - (d)  $A \cap B \cap C =$  (h) Are A and B disjoint?
  - (a)  $A \cap B \cap C =$ (b)  $A \cap C \cap C \cap B =$ (c)  $A \cap C \cap C \cap B =$
- 7. Shade the following

(a) $A \cup B \cup C$	(b) $(B \cup C)^C$	(c) $(A^C \cap B) \cup C$
8. U = the set of A & M = $\{ x \in U   x \text{ is m} F = \{ x \in U   x \text{ is fer} \}$	ale}	$D = \{ x \in U   x \text{ drinks Dr. Pepper} \}$ $S = \{ x \in U   x \text{ drinks Sprite} \}$ $C = \{ x \in U   x \text{ drinks coffee} \}$

- (a) Describe each of the given sets in words.
  - i.  $S \cup C^C$
  - ii.  $M \cap (D \cup S)$
- (b) Write the set(use set notation) that represents each of the given statements.
  - i. The female students at A& M that drink sprite but do not drink coffee.
  - ii. The students at A& M that drink coffee or do not drink Dr. Pepper.